



ORBITS AND BUS

Advanced Technology in Radio Communications

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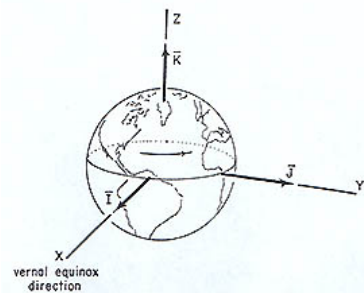
Lesson 4. Orbits and bus

Orbits

- Orbital issues
- Classification of orbits
 - By synchronism (geo-synchronous and sun-synchronous)
 - By eccentricity (circular and elliptical)
 - By height (LEO, MEO and GEO)
- Comparison

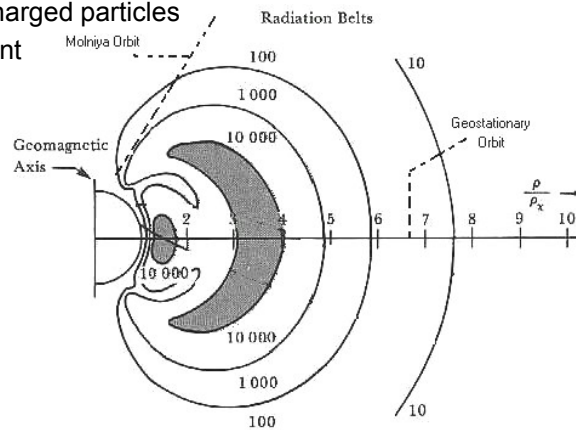


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Orbital Issues

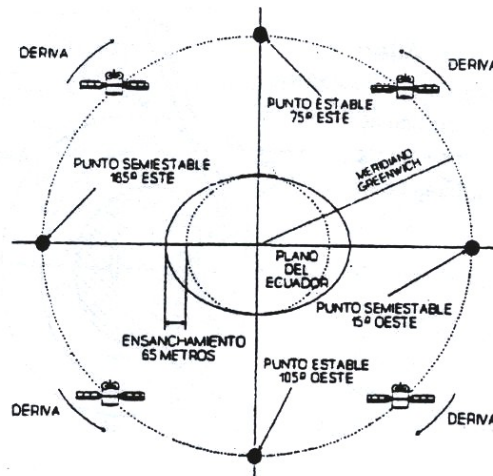
- Van Allen radiation belt
 - Magnetic field
 - Torus of energetic charged particles
 - It damages equipment
 - It protects low orbits
 - Molniya



Orbital Issues

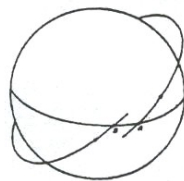
- Disturbing elements of the orbit
 - Gravity forces (Moon, Sun, planets).
 - Pressure forces of solar radiation
 - Atmospheric friction in low orbits
 - Terrestrial geometry
 - It is not spherical, it is flattened at the poles
 - It has not revolution symmetry
 - Earth three-dimensional model through series

GEO orbit drift



Orbital Issues

- Nodal regression $\Delta\Omega$: orbital plane change



$$k = J_2 R_E^2$$

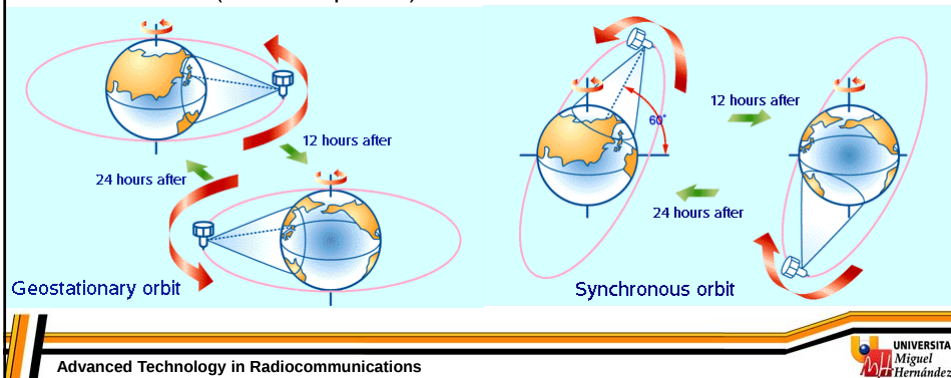
$$\Delta\Omega = -\frac{3\pi k}{a^2(1-e^2)^2} \cos(i)$$

- Apsidal rotation $\Delta\omega$: apogee rotation at the same plane

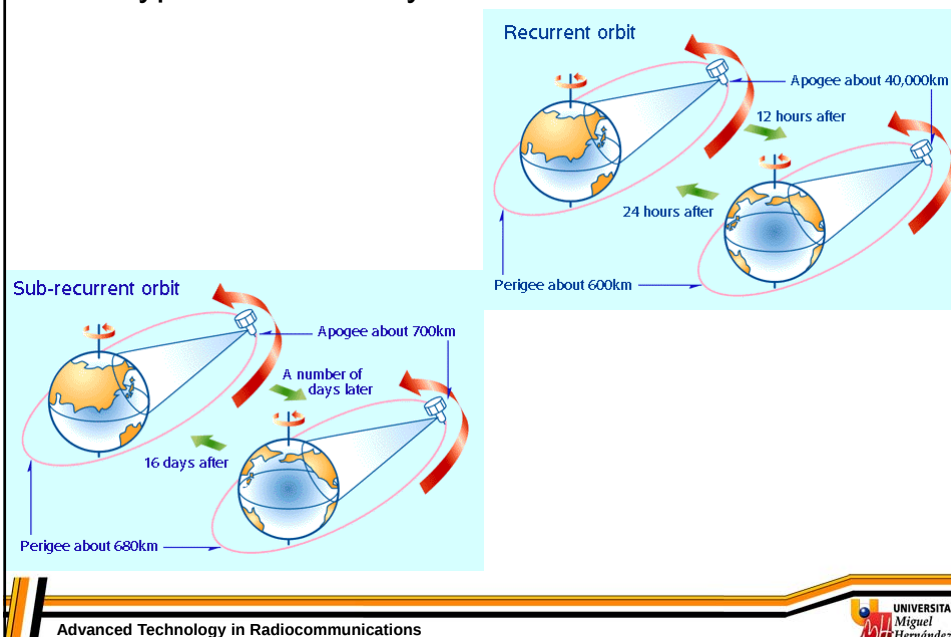
$$\Delta\omega = -\frac{3\pi k}{a^2(1-e^2)^2} (2 - 2.5 \sin^2(i))$$

Types of orbits: Synchronous

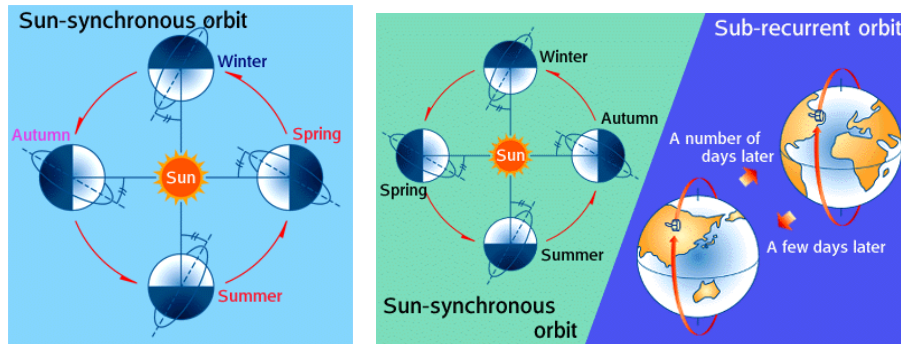
- Geo-synchronous: Period is a submultiple of Earth rotation period.
 - Geostationary
 - Molniya (12 hours period)
 - Tundra (24 hours period)



Types of orbits: Synchronous



Types of orbits: sun-synchronous



- Sun-synchronous: local solar time does not change over any given point.
- Under normal circumstances, orbit plane remains static.
- In sun-synchronous orbits, plane turns around and adapts to seasons.

Types of orbits

- Excentricity
 - Elliptical: Highly elliptical orbit (HEO)
 - Elliptical
 - Circular
- Orbit height
 - Geostationary Earth orbit (GEO)
 - Medium Earth orbit (MEO o ICO)
 - Low Earth orbit (LEO)

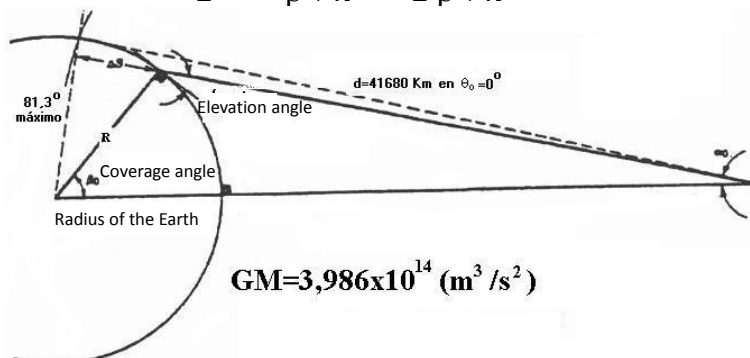
Orbits

- **GEO** Geostationary
- **HEO** Highly elliptical
 - Molniya has a perigee at a 593 km height and a apogee at a 39362 km height
 - Sloping is, usually, chosen from 63,4° to 116,6°
- **LEO** Circular, at least at a 1000 Km height
 - There can be polar orbits
 - Coverage to whole Earth requires from 60 to 90 satellites
- **ICO** intermediate circular orbit (**MEO**)
 - 14000 Km < radius < 26000 Km if $i=0^\circ$
 - Coverage to whole Earth requires from 8 to 12 satellites

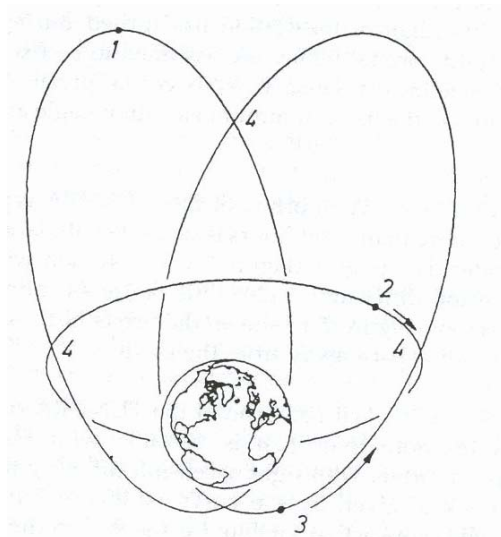
GEO orbit

- **Geo** Circular equatorial at a 35786 Km height

$$\frac{1}{2}v^2 - \frac{GM}{\rho+h} = -\frac{1}{2} \frac{GM}{\rho+h}$$



HEO



Daily curvature of the perigee argument is governed by:

$$\Delta\omega_{diario} = 4.98^\circ \left(\frac{R_E}{a} \right)^{\frac{7}{2}} \frac{5 \cos^2 i - 1}{(1 - e^2)^2}$$

where:

R_E is terrestrial radius,

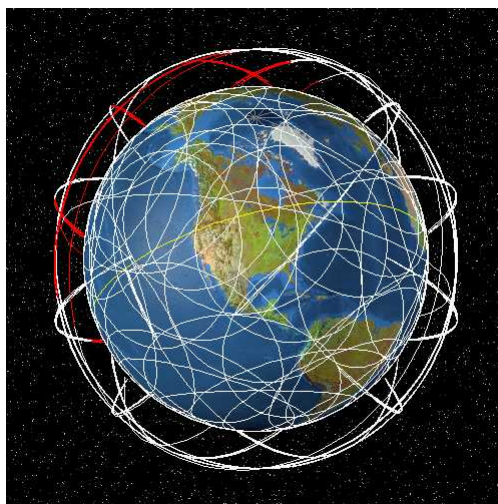
a is the semi-major axis length,

i is sloping,

and e is total orbital eccentricity.

The equation is made equal zero with a 63,4 degrees sloping.

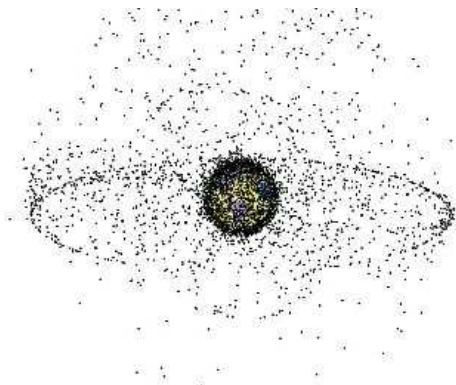
LEO



Environmental conditions

- Microgravity
- Solar influence
- galactic/cosmic rays
- Magnetosphere effects
- Atmosphere
- Ionosphere
- Micrometeorites / space debris
- Launch conditions: vibration, acoustics

Space debris



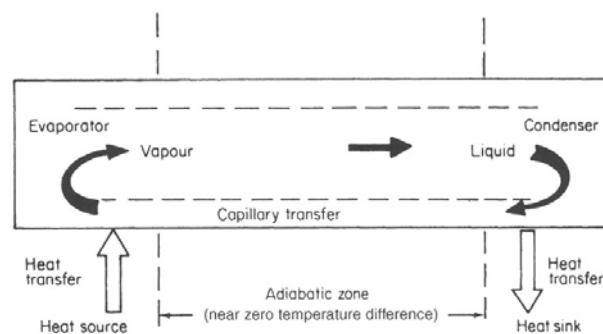
- 56 years in space
- 5000 launches
- 30000 objects > 10 cm
- Only 6% operatives
- -150000 obj. > 1 cm
- Only $\approx 0.1\text{mm}$ exceeds the natural spatial dust to human dust

BUS

- Structural subsystem
- Thermal control subsystem
- Power generation subsystem
- Orbit control and stabilization subsystem
- Propulsion subsystem
- Tracking, telemetry and command (TT&C)

Thermal subsystem

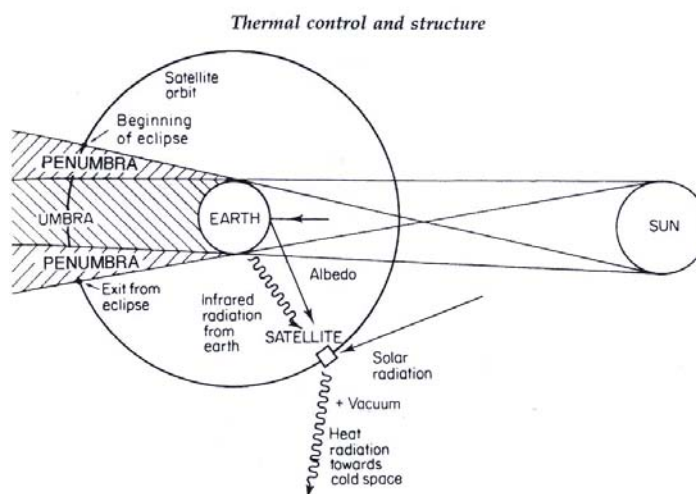
- Passive systems
 - isolators, conductives
- Active systems
 - Cool and Heat sink, cool and heat transfer



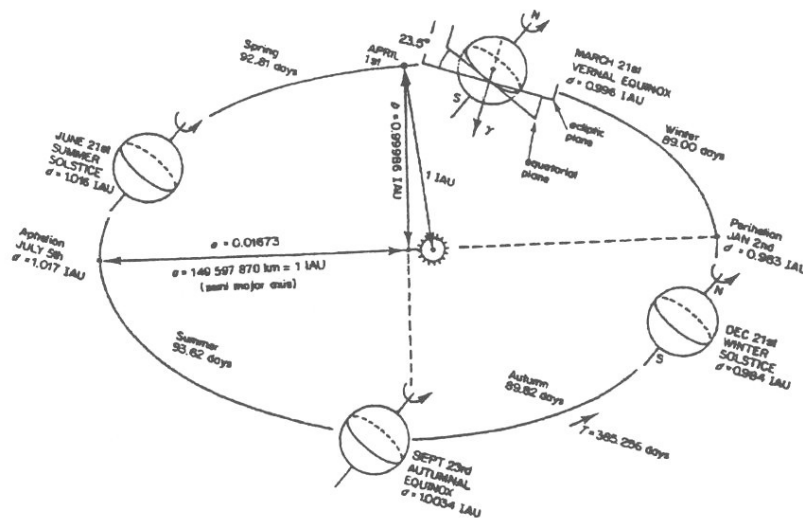
Power: generation

- Si or AsGa solar panels
- Deterioration by e^- and p^+ particles bombing
- It is oversized
- It is affected by eclipses due to the Earth

Generation & Thermal control



Seasons of the year

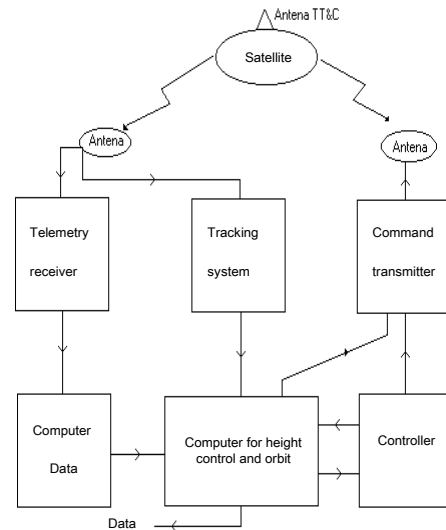


Power: conditioning and storage

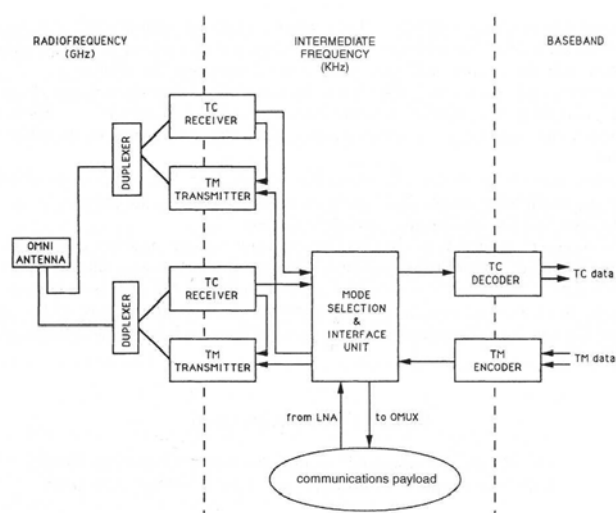
- Power generation depends on temperature
- Regulated or not regulated power Bus
- Ni-Cd battery (15% of total weight)
- There are discharge of the batteries in eclipses

TT&C (Tracking, Telemetry and command

- Shared antenna
 - Low directivity
 - Low bandwidth (PSK, FSK)
 - S and C bands (500-200 b/s)
- Tracking
 - Downlink direction
 - Radio beacon
 - Information of sensors with telemetry
- Telemetry
 - Downlink direction
 - It sends information from satellite
- Commanding
 - Uplink direction
 - It sends commands to satellite



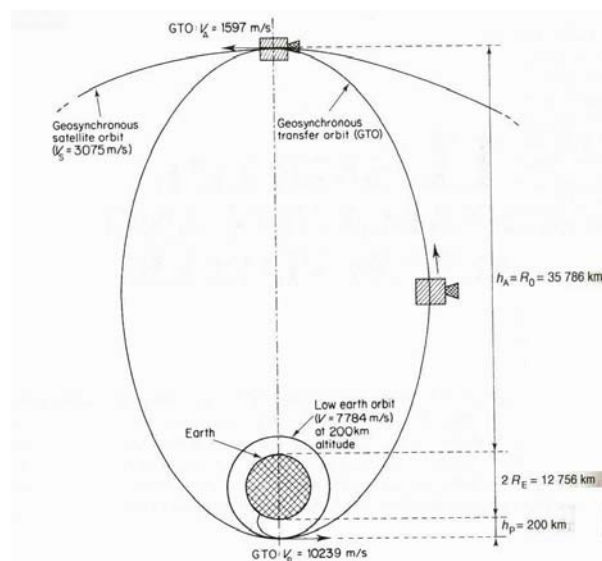
Bus: TT&C Telemetry



Bus: TT&C command

- It requires to duplicate commands in order to execute the functions
- To send orders and maneuvers unauthorized
- High channel and orders protection

Satellite deployment



Bibliography

- [1] G. Maral, M.Bousquet "Satellite Communications Systems. 3rd edition" John Wiley & Sons Ltd., England, 2000.
- [2] W. Tomasi "Sistemas de Comunicaciones Electrónicas" Prentice Hall, México, 2003.
- [3] "Antena de Telecomunicación" número 151, COITT, marzo 2003.
- [4] www.esa.int
- [5] www.upv.es/satelite

Appendix: Azimuth and elevation

1. Satellite concepts.
2. Orbits.
3. Low orbit satellites.
4. Geostationary satellites.

Appendix: Azimuth and elevation

1. Satellite concepts.

- It works in Microwave Frequency bands (4-8 GHz).
- Nowadays, 10 GHz (TV)
- GPS (Global Positioning System):
Satellite signals application is able to detect a radio link position on terrestrial surface

Appendix: Azimuth and elevation

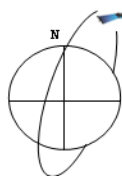
2. Orbits.

Orbit : Geometric figure that describes the movement of a satellite around the Earth.

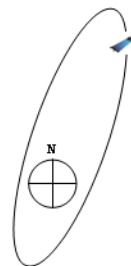
There are 2 types:

Circular
Elliptical

Circular

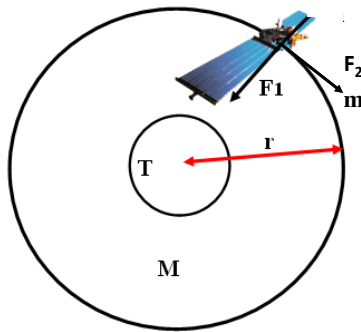


Elliptical



Appendix: Azimuth and elevation

2. Orbits.



$$r = a + h$$

a: terrestrial radius (6378 Km).

h: orbit radius on terrestrial surface.

F₁= centripetal force. F₂= centrifugal force

$$F_1 = G \frac{M \cdot m}{r^2} \quad F_2 = \frac{m \cdot V^2}{r}$$

$$G = 6.668 \cdot 10^{-11} \text{ m}^3/\text{r} \quad M = 5.98 \cdot 10^{24} \text{ Kg}$$

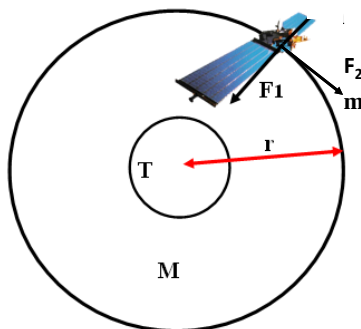
$$\text{stable } r \rightarrow F_1 = F_2 \rightarrow V = \sqrt{\frac{G \cdot M}{r}}$$

τ : orbital periods of satellites

$$\tau(s) = \frac{2\pi \cdot r(km)}{v} = 0.0099527 \cdot r^{\frac{3}{2}}$$

Appendix: Azimuth and elevation

2. Orbits.



Example:

Sattelite in orbit h=1500Km → LEO

¿Laps/Day?

$$r = a + h$$

$$a = 6378 \text{ km}$$

τ (6959 s): Satellite time needed in a lap around the world.

$$T(\text{Sec} / \text{Day}) = 24(h) \cdot 60(m) \cdot 60(s) = 86400s$$

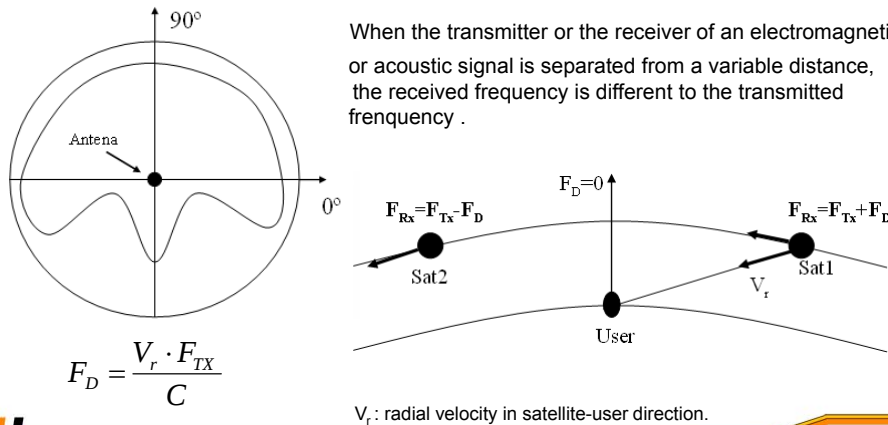
$$N = \frac{T}{\tau} = 12.41 \text{ laps / day}$$

Appendix: Azimuth and elevation

3. Low orbit satellites.

Doppler effect

When the transmitter or the receiver of an electromagnetic or acoustic signal is separated from a variable distance, the received frequency is different to the transmitted frequency .



Appendix: Azimuth and elevation

4. Geostationary satellites.

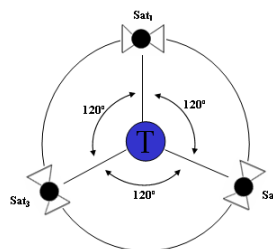
There are satellites that have two conditions:

- Geosynchronous: it moves with the same velocity than Earth.
- Orbital plane, is in equatorial plane (Earth axis coincides with satellite axis).

$$\tau = 0.0099527 \cdot r^{3/2} = 86164.1 \Rightarrow r = 42162 \text{ Km}$$

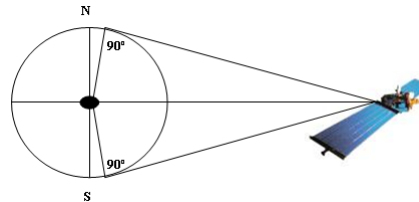
$$r = a + h \Rightarrow h = r - a \Rightarrow h = 42162 - 6378 = 35784 \text{ Km}$$

In order to give satellite coverage all around the world we need 3 geostationary satellites.



Appendix: Azimuth and elevation

4. Geostationary satellite.



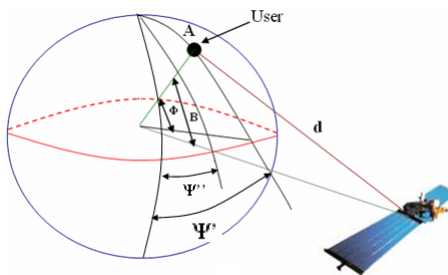
Do not give coverage in poles. → Solution : low orbit satellites.

Global coverage antenna $D = \frac{4\pi}{\Omega_{eq}} = \frac{4\pi}{(\theta_{-3dB})^2} \Rightarrow \theta_{-3dB} = 8.7^\circ \Rightarrow D = 21dB$

Appendix: Azimuth and elevation

4. Geostationary satellites.

Distance and positioning.



$$d = h \cdot \sqrt{1 + \frac{(1 - \cos B)(2 \cdot a^2 + 2 \cdot a \cdot h)}{h}}$$

$$d = 35783 \sqrt{1 + 0.42 \cdot (1 - \cos B)}$$

$$\cos B = \cos \phi \cdot \cos(\psi' - \psi'')$$

$\phi \equiv$ user latitude.

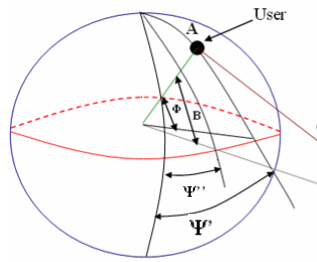
$\psi' \equiv$ user longitude.

$\psi'' \equiv$ satellite longitude.

Appendix: Azimuth and elevation

4. Geostationary satellites.

Distance and positioning.



Azimuth(α):

$$\alpha' \Rightarrow \operatorname{tg}(\alpha') = \frac{\operatorname{tg}(\psi' - \psi'')}{\operatorname{sen}(\Phi)}$$

$$\alpha \begin{cases} \alpha' + 180^\circ \text{ (North hemisphere)} \\ \alpha' \end{cases}$$

Elevation(θ):

$$\operatorname{tg} \theta = \frac{\cos B - \frac{a}{a+h}}{\operatorname{sen} B} = \frac{\cos B - 0.151269}{\operatorname{Sen} B}$$

Appendix: Azimuth and elevation

4. Geostationary satellites.

Distance and positioning.

Example:

- Satellite: Longitude $24^\circ \text{ W} \rightarrow \Psi'' = -24^\circ$
- User: Longitude $2^\circ \text{ W} \rightarrow \Psi' = -2^\circ$, Latitude $53^\circ \text{ N} \rightarrow \Phi = 53^\circ$
- $\cos B = 0.558 \rightarrow B = 56.1^\circ$

$$d = 35783 \cdot \sqrt{1 + 0.42 \cdot (1 - \cos B)} = 38963.11 \text{ Km}$$

- Azimuth:

$$\operatorname{tg}(\alpha') = \frac{\operatorname{tg}(\psi' - \psi'')}{\operatorname{sen} \Phi} = \frac{\operatorname{tg}((-2^\circ) - (-24^\circ))}{\operatorname{sen}(53^\circ)} = 0.505 \rightarrow \alpha' = 26.83^\circ \rightarrow \alpha = \alpha' + 180^\circ = 206.83^\circ$$

- Elevation:

$$\operatorname{tg} \theta = \frac{\cos B - 0.151269}{\operatorname{sen} B} = 0.49 \rightarrow \theta = 26.11^\circ$$