

## **Basic MATLAB Exercises**

1. What are the commands for each of the following operations:
  - I. Create a row vector 'x' of 6 equally spaced elements between 2 and 3
  - II. Add 2 to the second element
  - III. Create a second row vector 'y' of some dimension with elements equal to the successive integers starting with 4
  - IV. Create the matrix 'a', whose first row is equal to 'x', whose second row is a line of ones, and whose third row is equal to 'y'
  - V. Define a row vector 'z', whose elements are equal to the mean value of the columns of 'a'
  - VI. Define a column vector 'zz', whose elements are the sum of the elements in each rows of 'a'
2. Given a vector  $t = [0: .1: 1]$  write down the MATLAB command that will compute:
  - I.  $\log(1 + \sqrt{t})$
  - II.  $e^{t+t^2}$
  - III.  $\cos^{-1}(t)$ (inverse cosine function)
  - IV.  $\sqrt{1 + \log(t)^2}$
  - V.  $\tan^2(t) - 1$
3. Given  $x = [7 \ 6 \ 1 \ 2 \ 0 \ -1 \ 4 \ 3 \ -2 \ 0]$  what are the commands that will execute the following operations:
  - I. Sets the negative values of 'x' to zero
  - II. Extract the values of 'x' greater than 3 in a vector 'y'
  - III. Add 3 to the values of 'x' that are even
  - IV. Set the values of 'x' that are less than the mean to zero
  - V. Set the values of 'x' that are greater than the mean to their difference with the mean
4. Create a square matrix 'U' of size  $x = 100$ , with random elements between -1 and 1. Compute the mean value of all the elements of 'U'. Repeat the operation several times; you should find that the mean value is close to zero.

5. Given the following array 'U = [0 2 4]', 'M = [-1 3 4]', 'D = [0 7; -3 6; -2 7]' and 'T = [8 4 6; 2 8 -3]', determine for each command whether it can execute correctly; in the case it doesn't explain why; in the case it does, predict the size of the result.

- I. U + M
- II. U + M.'
- III. U × M
- IV. D × M
- V. D' × U

6. Create two matrices U and M:

$$U = \begin{pmatrix} 2 & 4 \\ 4 & -2 \end{pmatrix}, \text{ and } M = \begin{pmatrix} 6 & -4 \\ -3 & 6 \end{pmatrix}$$

- I. Compute 'D = U + M'
- II. Compute the matrix products 'E = UM' and 'F = MU'
- III. Are 'U' and 'M' singular? If no, compute their inverse
- IV. In 'U', subtract to the second row, the first row multiplied by 4